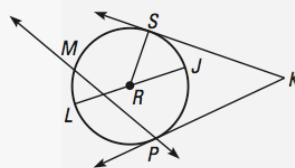
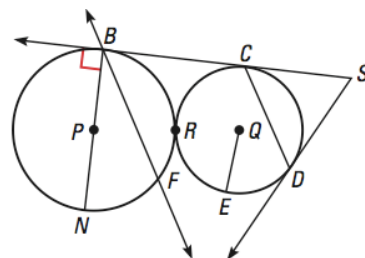


10.1 TANGENTS TO CIRCLES

EXAMPLES In $\odot R$, R is the center. \overline{RJ} is a radius, and \overline{JL} is a diameter. \overline{MP} is a chord, and \overleftrightarrow{MP} is a secant. \overleftrightarrow{KS} is a tangent and so it is perpendicular to the radius \overline{RS} . $\overline{KS} \cong \overline{KP}$ because they are two tangents from the same exterior point.



3. Point of tangency of $\odot Q$.



5. Center of the large circle.

7. Common tangent.

9. Point of tangency of $\odot P$ and $\odot Q$.

10. Is $\angle PBC$ a right angle? Explain why or why not.

11. Explain why $\triangle SCD$ is isosceles.

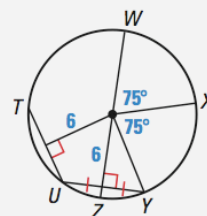
10.2

ARCS AND CHORDS

Examples on
pp. 603–606

EXAMPLES \widehat{WX} and \widehat{XY} are congruent minor arcs with measure 75° .

\widehat{WYX} is a major arc, and $m\widehat{WYX} = 360^\circ - 75^\circ = 285^\circ$. Chords \overline{TU} and \overline{UY} are congruent because they are equidistant from the center of the circle. $\widehat{TU} \cong \widehat{UY}$ because $\overline{TU} \cong \overline{UY}$. Chord \overline{WZ} is a perpendicular bisector of chord \overline{UY} , so \overline{WZ} is a diameter.



Use $\odot Q$ in the diagram to find the measure of the indicated arc. \overline{AD} is a diameter of $m\widehat{CE} = 121^\circ$.

12. \widehat{DE}

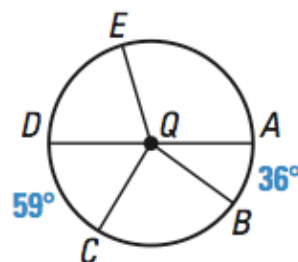
13. \widehat{AE}

14. \widehat{AEC}

15. \widehat{BC}

16. \widehat{BDC}

17. \widehat{BDA}

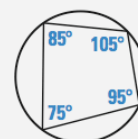
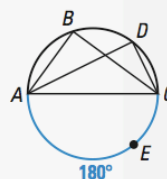


10.3

INSCRIBED ANGLES

Examples on
pp. 613–616

EXAMPLES $\angle ABC$ and $\angle ADC$ are congruent inscribed angles, each with measure $\frac{1}{2} \cdot m\widehat{AEC} = 90^\circ$. Because $\triangle ADC$ is an inscribed right triangle, \overline{AC} is a diameter. The quadrilateral can be inscribed in a circle because its opposite angles are supplementary.

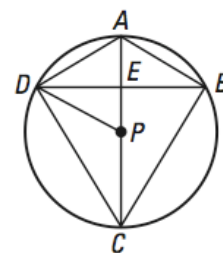


Kite ABCD is inscribed in $\odot P$. Decide whether the statement is true or false. Explain your reasoning.

18. _____ $\angle ABC$ and $\angle ADC$ are right angles.

19. _____ $m\angle ACD = \frac{1}{2} m\angle AED$.

20. _____ $m\angle DAB + m\angle BCD = 180^\circ$



10.4

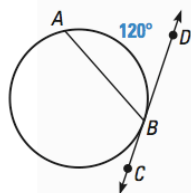
OTHER ANGLE RELATIONSHIPS IN CIRCLES

Examples on
pp. 621–623

EXAMPLES

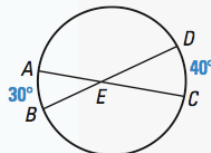
$$m\angle ABD = \frac{1}{2} \cdot 120^\circ$$

$$= 60^\circ$$



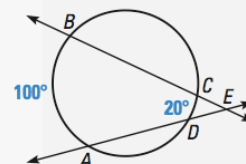
$$m\angle CED = \frac{1}{2}(30^\circ + 40^\circ)$$

$$= 35^\circ$$



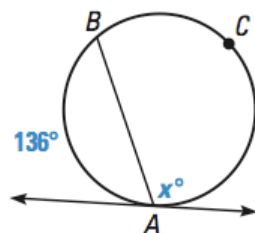
$$m\angle CED = \frac{1}{2}(100^\circ - 20^\circ)$$

$$= 40^\circ$$

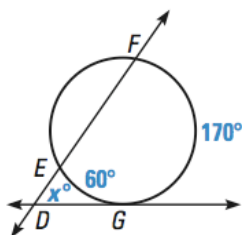


Find the value of x .

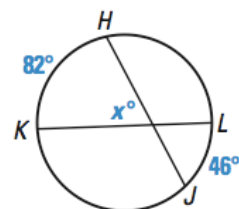
21.



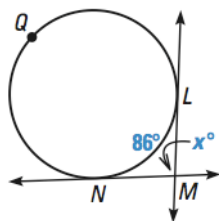
22.



23.



24.



10.5

SEGMENT LENGTHS IN CIRCLES

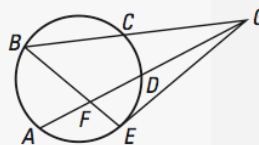
Examples on
pp. 629–631

EXAMPLES \overline{GE} is a tangent segment.

$$BF \cdot FE = AF \cdot FD$$

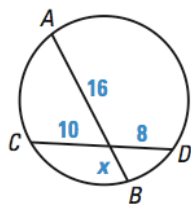
$$GC \cdot GB = GD \cdot GA$$

$$(GE)^2 = GD \cdot GA$$

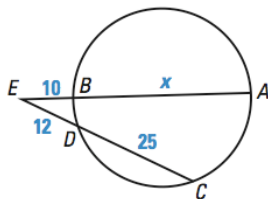


Find the value of x .

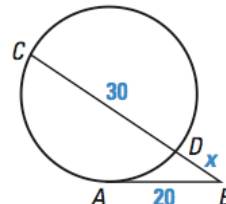
25.



26.



27.



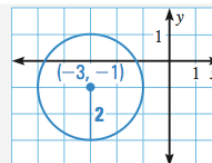
10.6

EQUATIONS OF CIRCLES

Examples on
pp. 636–637

EXAMPLE $\odot C$ has center $(-3, -1)$ and radius 2. Its standard equation is

$$[x - (-3)]^2 + [y - (-1)]^2 = 2^2, \text{ or } (x + 3)^2 + (y + 1)^2 = 4.$$



Write the standard equation of the circle. Then graph the equation.

28. Center $(2, 5)$, radius 9

29. Center $(-4, -1)$, radius 4

30. Center $(-6, 0)$, radius $\sqrt{10}$